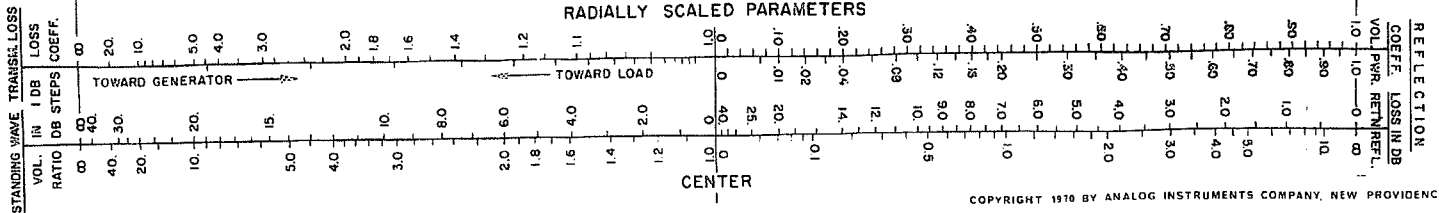
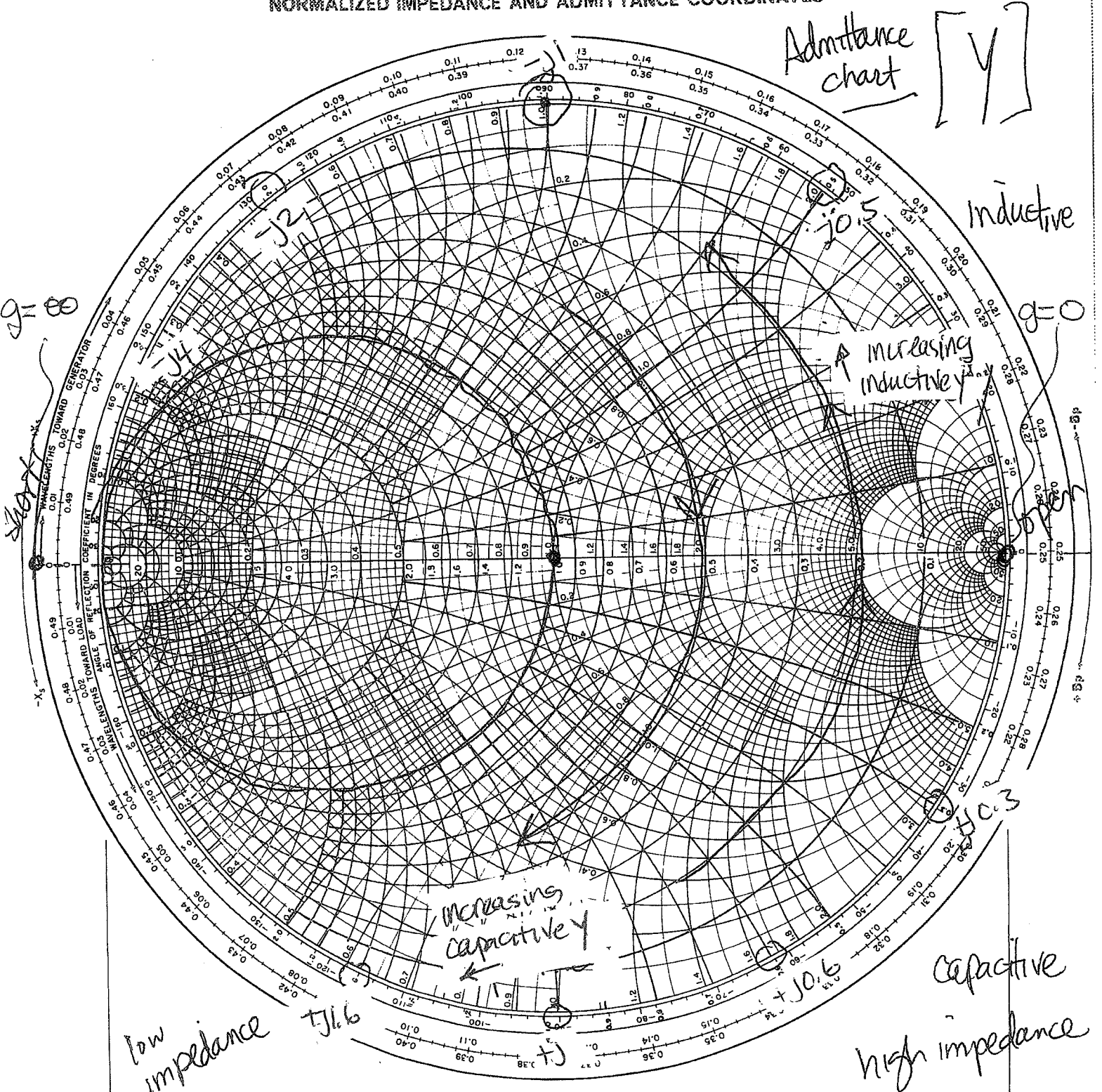


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NORMALIZED IMPEDANCE AND ADMITTANCE COORDINATES



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Michael steer's notes will be available to download.

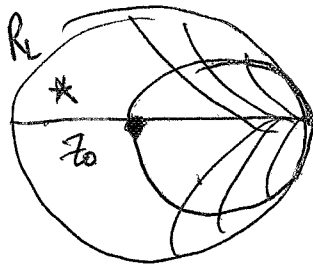
starts w) R_s and $R_L \Rightarrow$ develops how reactive elements can be used for matching

Pozar discusses arbitrary loads (real or complex) matched to a transmission line

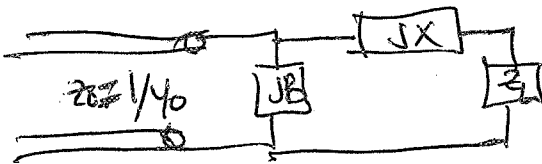
Let's assume we have R_s which we can call z_0 (TML) and then our load, R_L .

Case 1

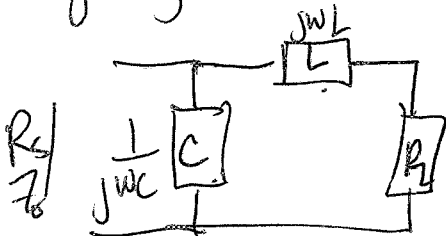
$R_s/z_0 > R_L$



According to Pozar; outside $1+jX$ circle



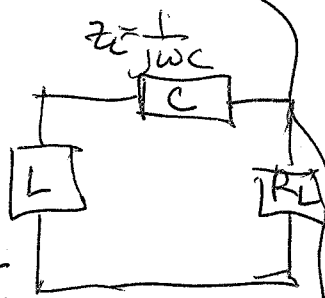
These components are going to be L, C



Low pass design

or

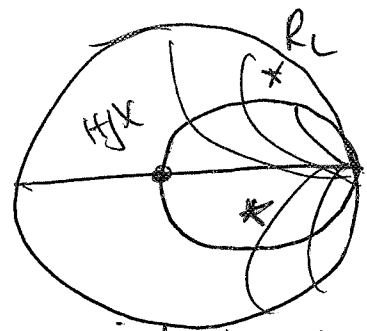
$z_L = jwL$
 $X = \frac{L}{jwL}$



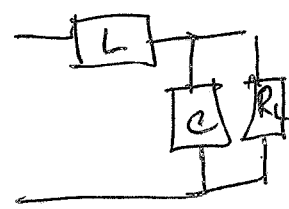
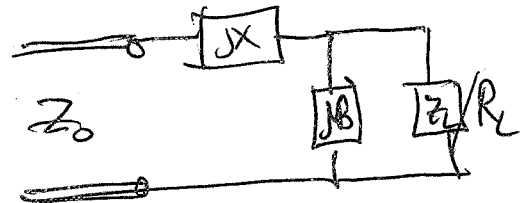
High pass design

Case 2

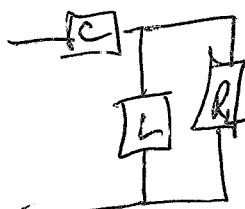
$R_s/z_0 < R_L$



inside $1+jX$ circle

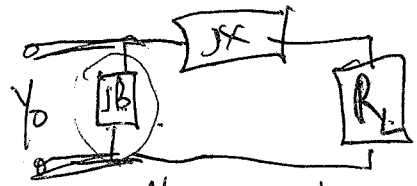


Low pass



High pass

If R_L is smaller than $R_s/Z_0 \Rightarrow$



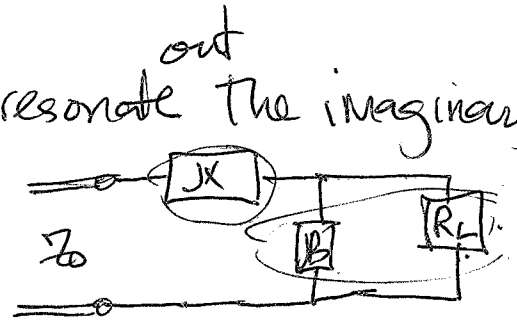
1) Use a series reactive element to transform a smaller resistance up to a larger value, w/ a real part equal to the desired resistance value

2) Use a shunt reactive element to resonate or cancel the imaginary part of the impedance from step 1

If $R_L > R_s/Z_0$ R_L is larger \Rightarrow From larger to smaller

1) Use a shunt reactive element to transform to larger resistance down to a smaller value w/ a real part equal to the desired resistance value

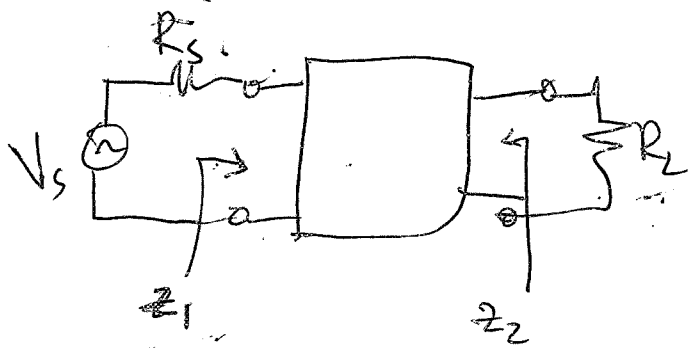
2) Use a series reactive element to resonate the imaginary part of impedance from step 1



Example 2 element MN $R_s = 25\Omega$
 $R_L = 200\Omega$

PFS

Objective: Present conjugate matched impedances to the source and load



Maximum power transfer due to conjugate match

$$z_1 = R_L^*$$

$$z_2 = R_s^*$$

$$z_0 = 50\Omega$$

$$\Gamma_s = 0.5$$

$$\Gamma_L = 4$$

$$z_1 = R_L^*$$

$$z_2 = R_s^*$$

$$z_0 = 50\Omega$$

$$R_s = 25\Omega$$

$$R_L = 200\Omega$$

Normalize impedances

$$\Gamma_s = \frac{R_s}{z_0} = 0.5$$

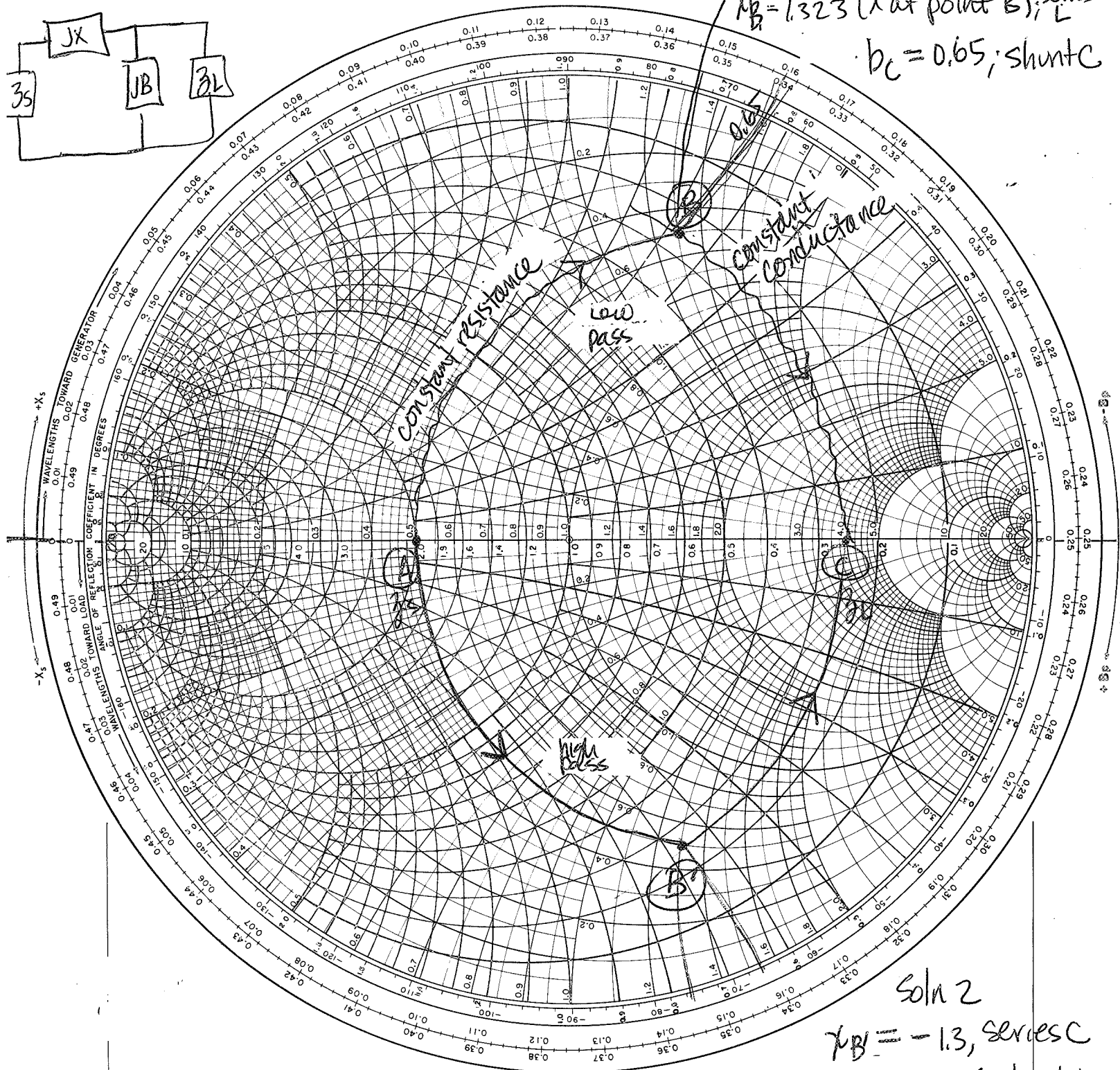
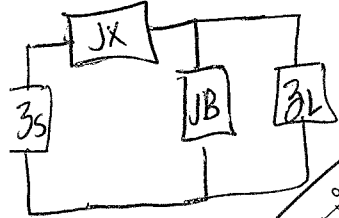
$$\Gamma_L = \frac{200}{50} = 4$$

Note: I made an error on the video wrt matching the example above. Please use the smith Chart following. It contains the correct reactance and susceptance values.

NORMALIZED IMPEDANCE AND ADMITTANCE COORDINATES

Soln 1

*$\gamma_B = 1.323$ (X at point B), series
 $b_C = 0.65$, shunt C*



Soln 2

*$\gamma_B = -1.3$, series C
 $b_C = -0.65$, shunt L*

RADIALLY SCALED PARAMETERS

